

Connecting Mathematics in Strand 2 - Student Activity 2

Below are two similar triangles.

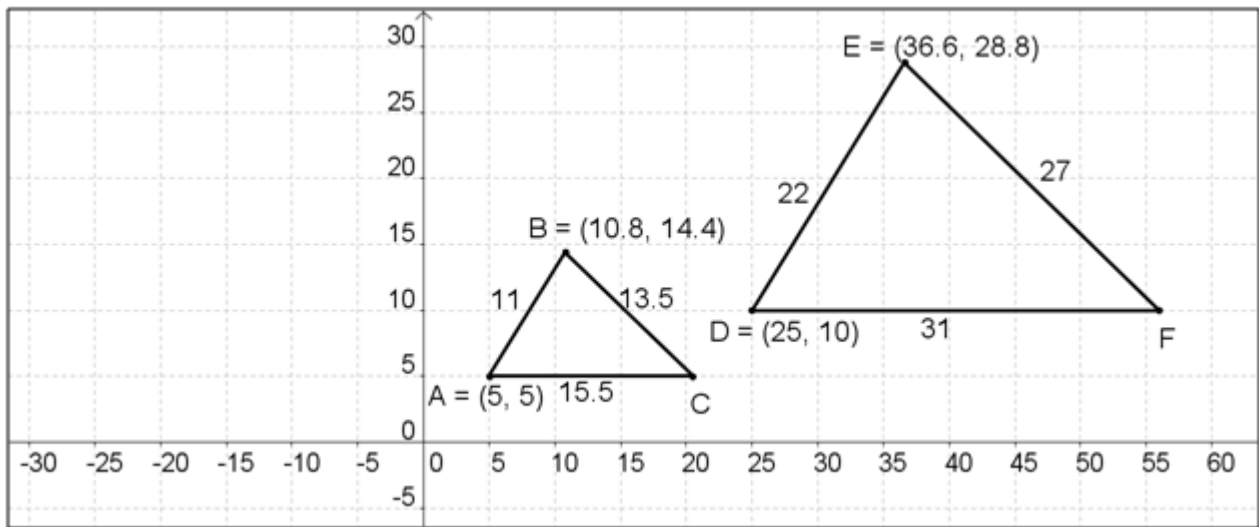
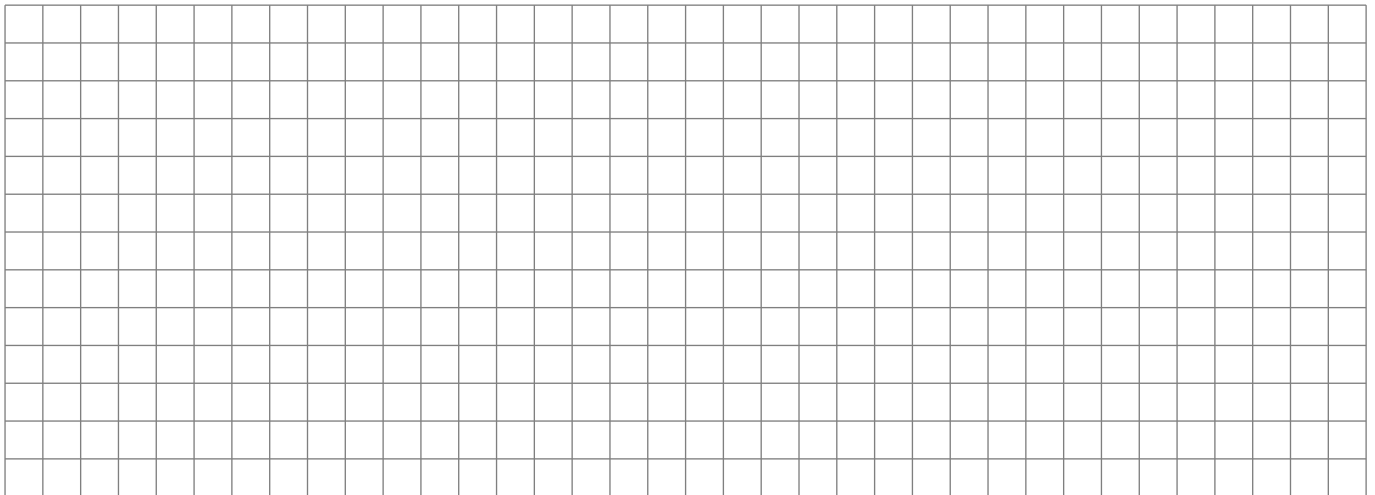


Fig. 6.1

- (i) A and B are the points $(5, 5)$ and $(10.8, 14.4)$ as shown. $|AC|$ is 15.5 cm. Name the co-ordinates of C .

Answer: $C (\quad , \quad)$

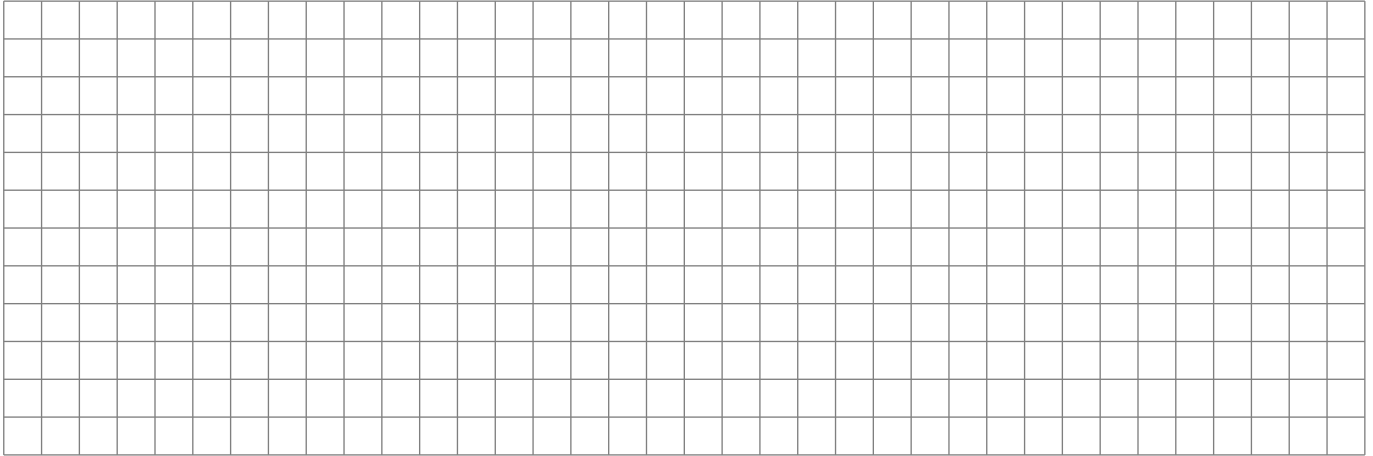
- (ii) Using the length formula, verify that $|AC|$ is 15.5 cm.



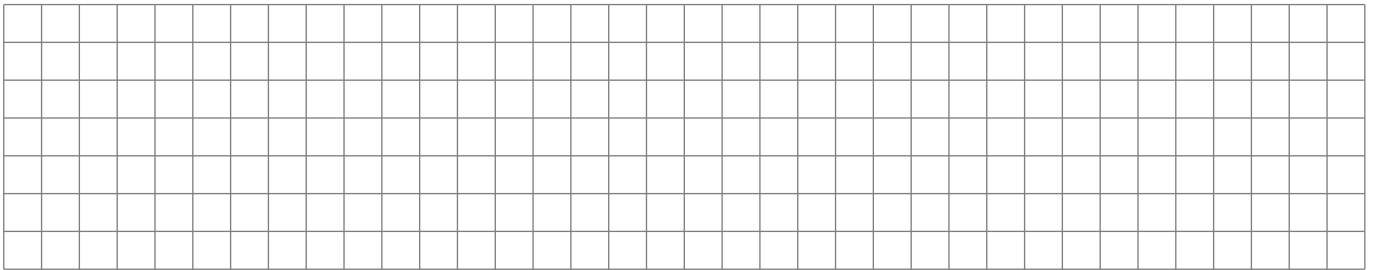
- (iii) D and E are the points $(25, 10)$ and $(36.6, 28.8)$ as shown. $|DF|$ is 31 cm. Name the co-ordinates of F .

Answer: $F (\quad , \quad)$

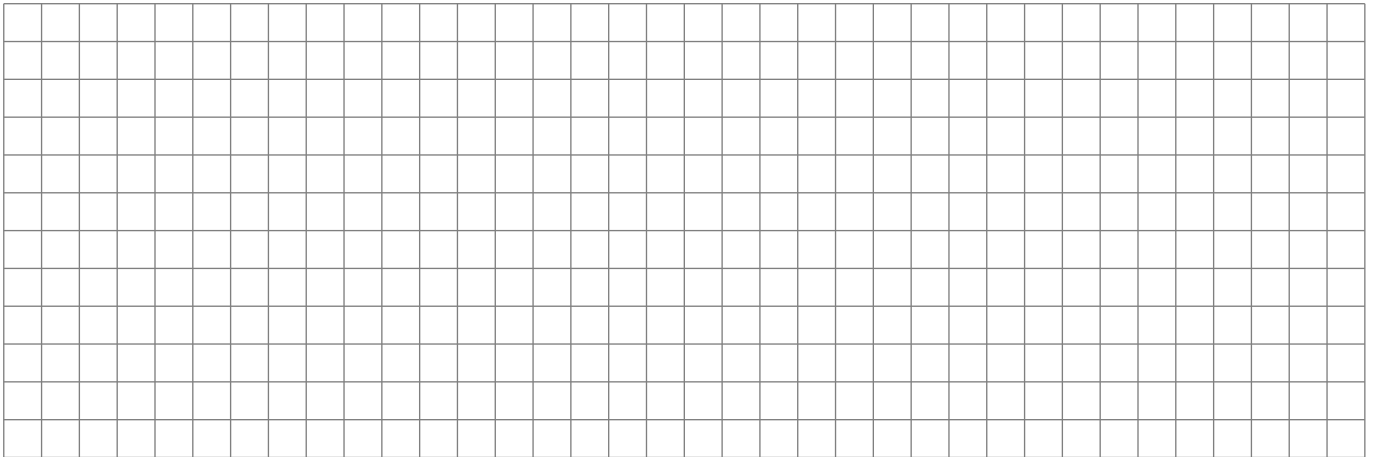
(viii) By using an alternative method to the one above, find the coordinates of the centre of enlargement.



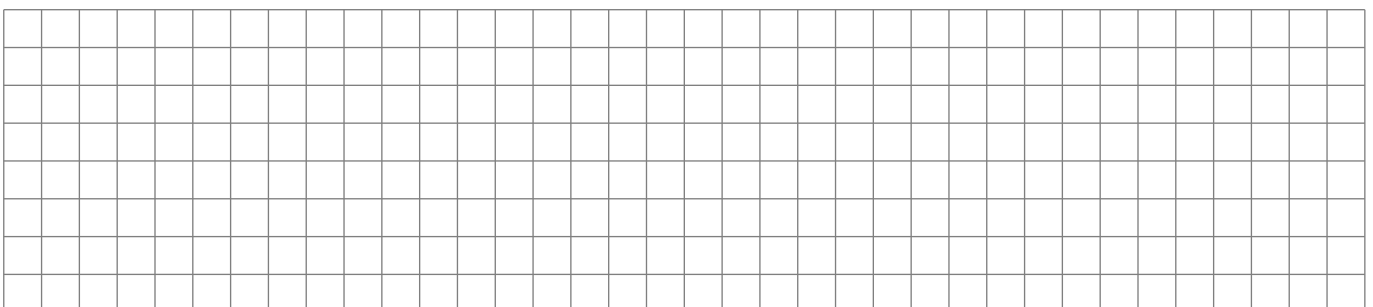
Would it be possible to always use this alternative method for finding the centre of enlargement? Explain.



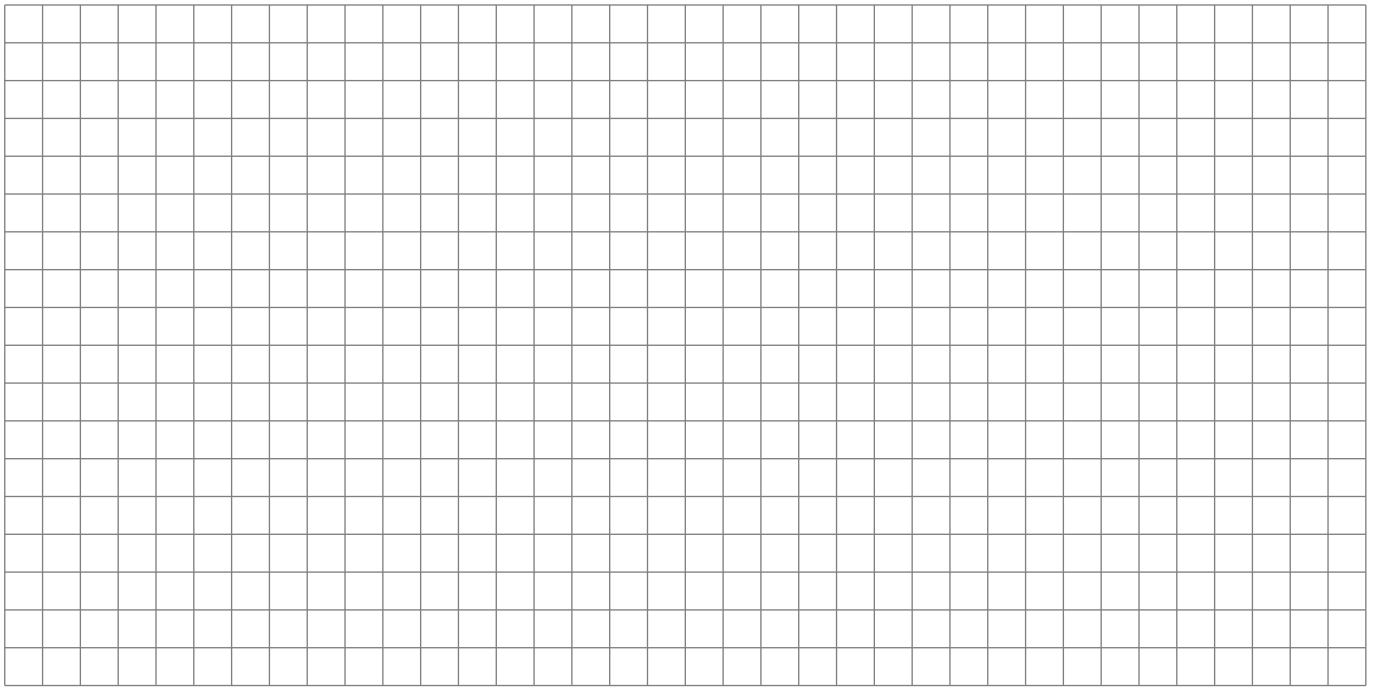
(ix) Find $|\angle ACB|$ using trigonometry.



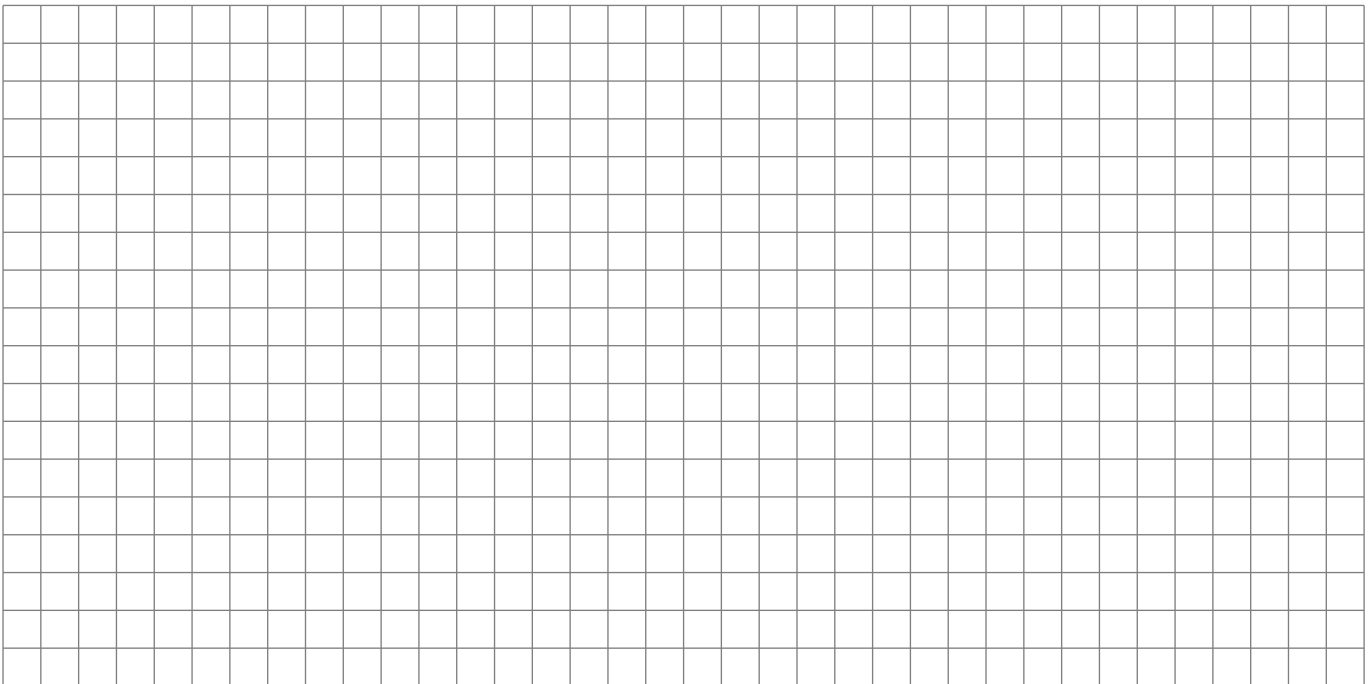
(x) Is there an angle bigger than $|\angle ACB|$ in $\triangle ABC$? Give a reason for your answer. (The use of protractors is not allowed.)



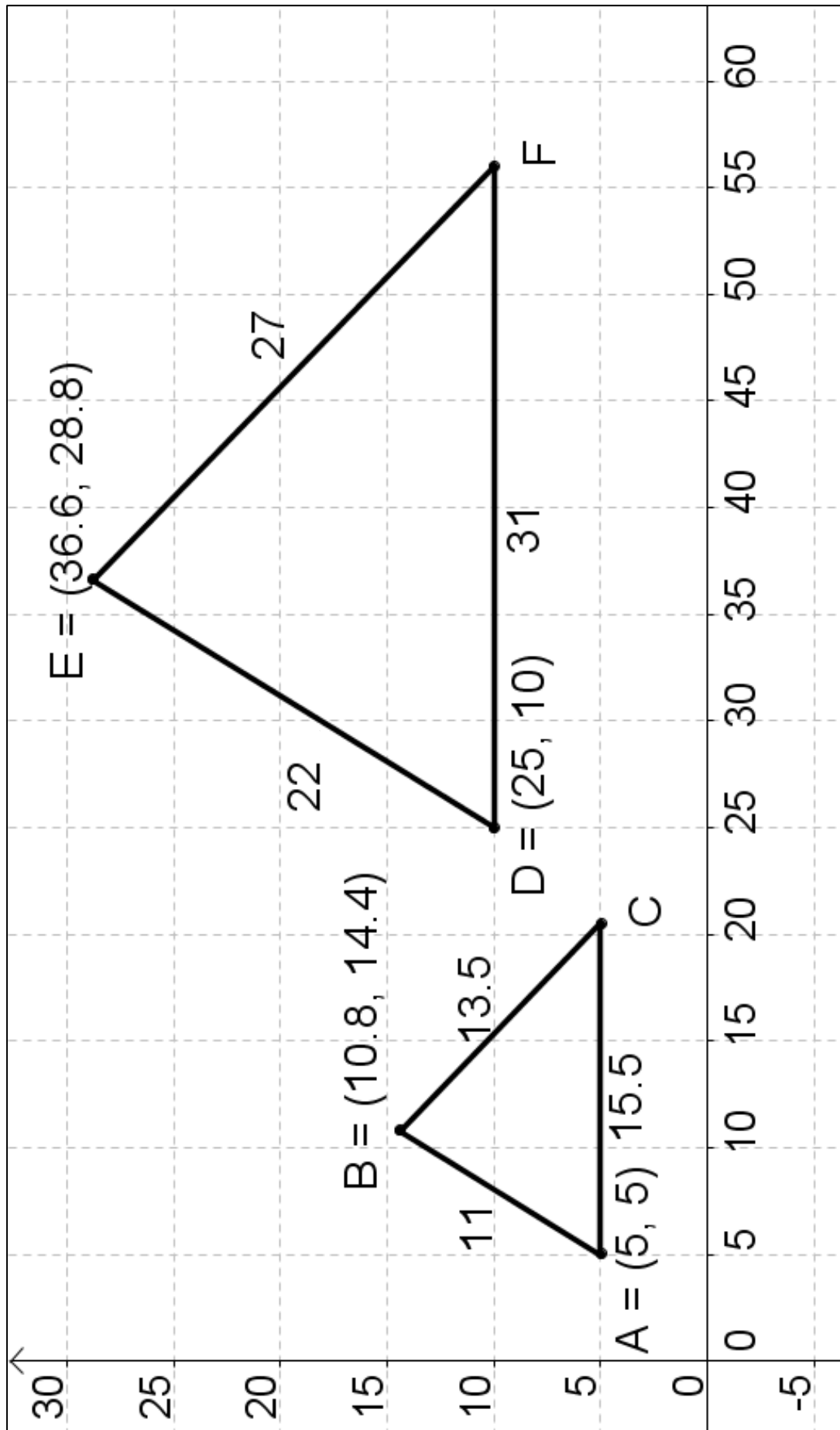
(xiv) Find the area of $\triangle ABC$ by using formula 3.



(xv) Find the area of $\triangle DEF$.



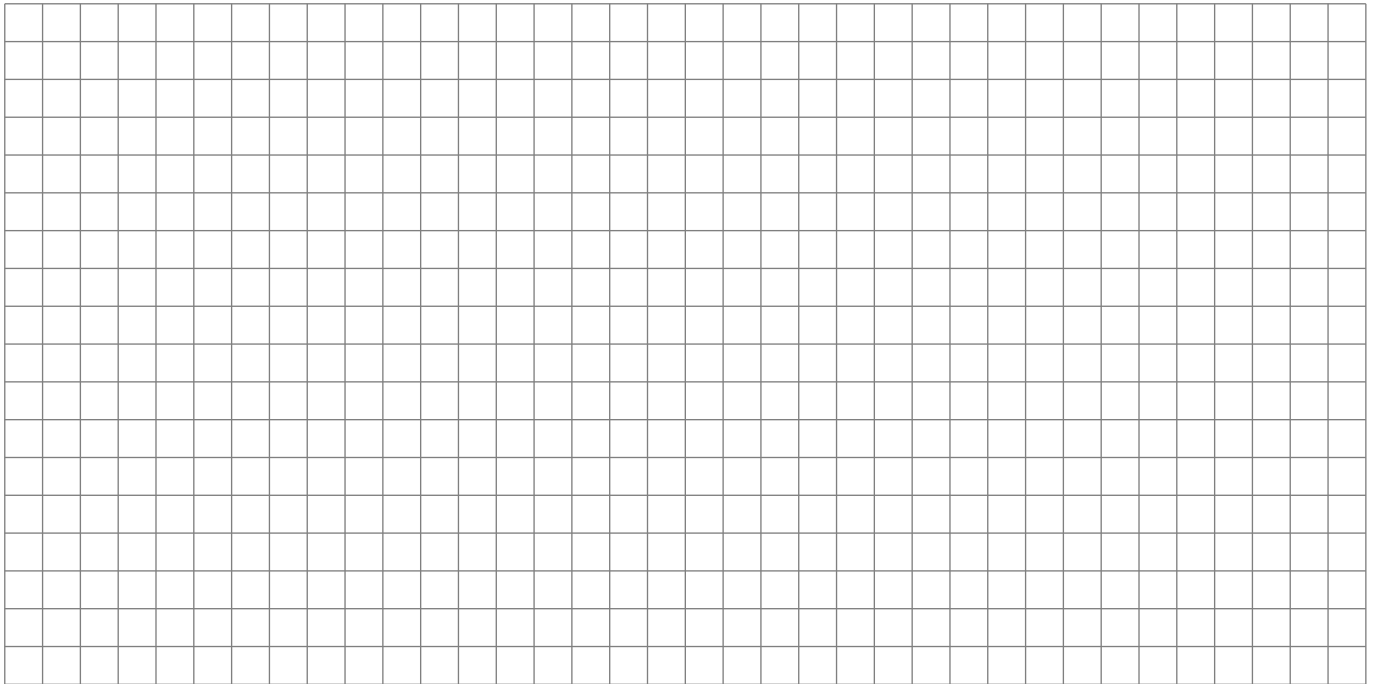
- (xvi) Using the diagram below construct the centroid (S) of $\triangle ABC$ and construct the centroid (T) of $\triangle DEF$.



(xvii) The centroid of a triangle can be calculated using the following formula:

$$\left(\frac{x_1 + x_2 + x_3}{3}, \frac{y_1 + y_2 + y_3}{3} \right).$$

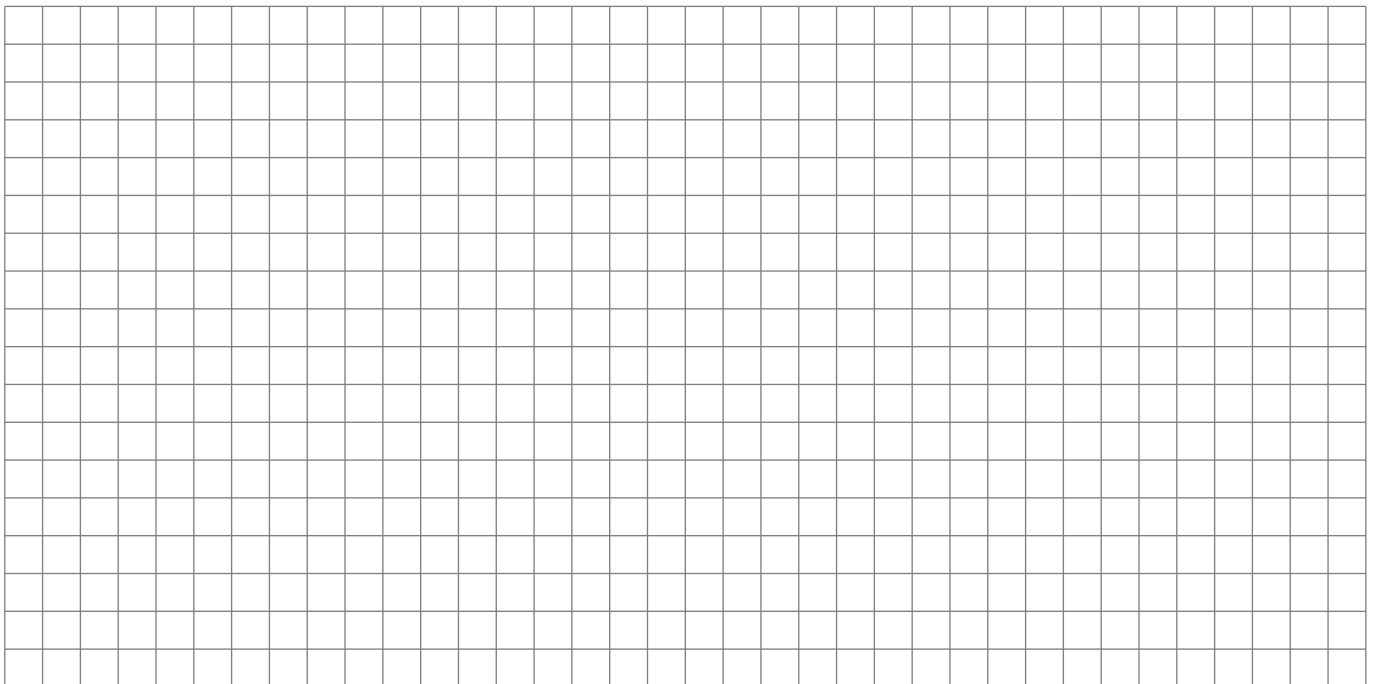
Calculate the centroid for each triangle, correct to 1 d.p.



Centroid of $\triangle ABC$: $S(\quad , \quad)$

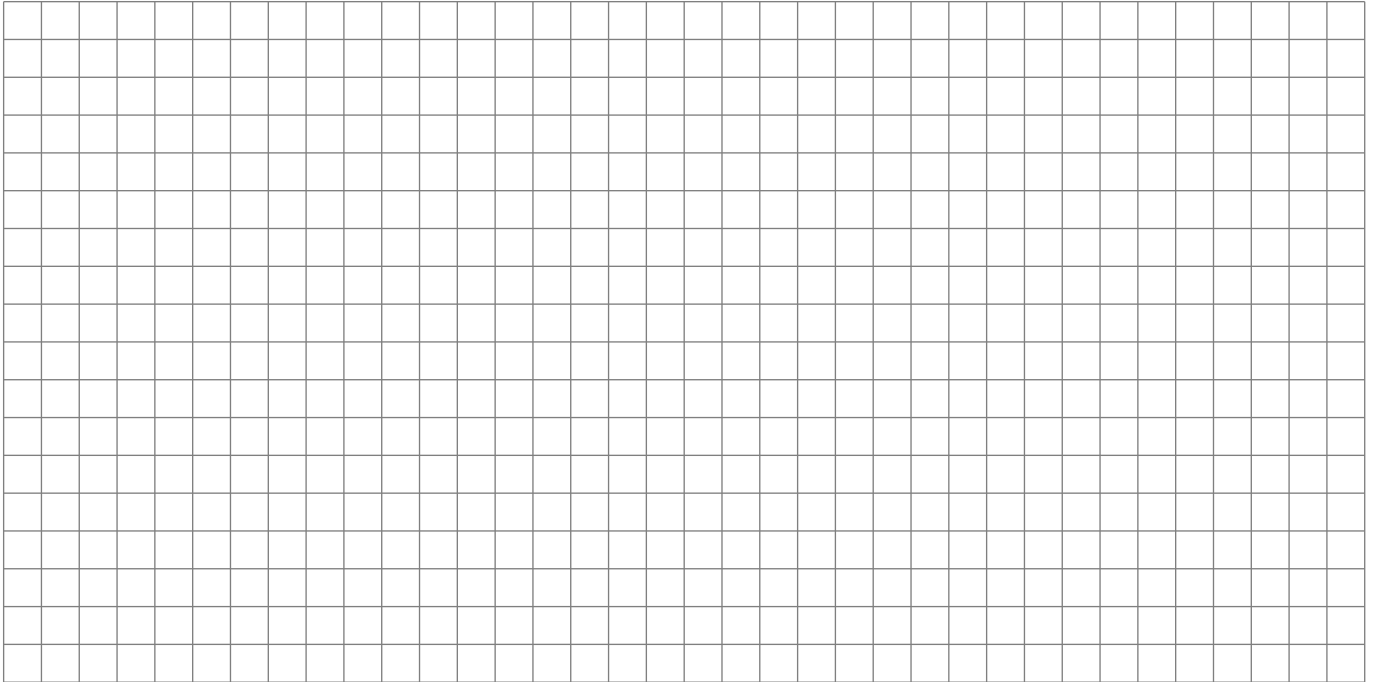
Centroid of $\triangle DEF$: $T(\quad , \quad)$

(xviii) If 2 triangles are similar, then the ratio of 2 corresponding lengths is equal to the scale factor. Show that this statement is true by calculating $|AS|$ and $|DT|$, correct to 1 d.p.

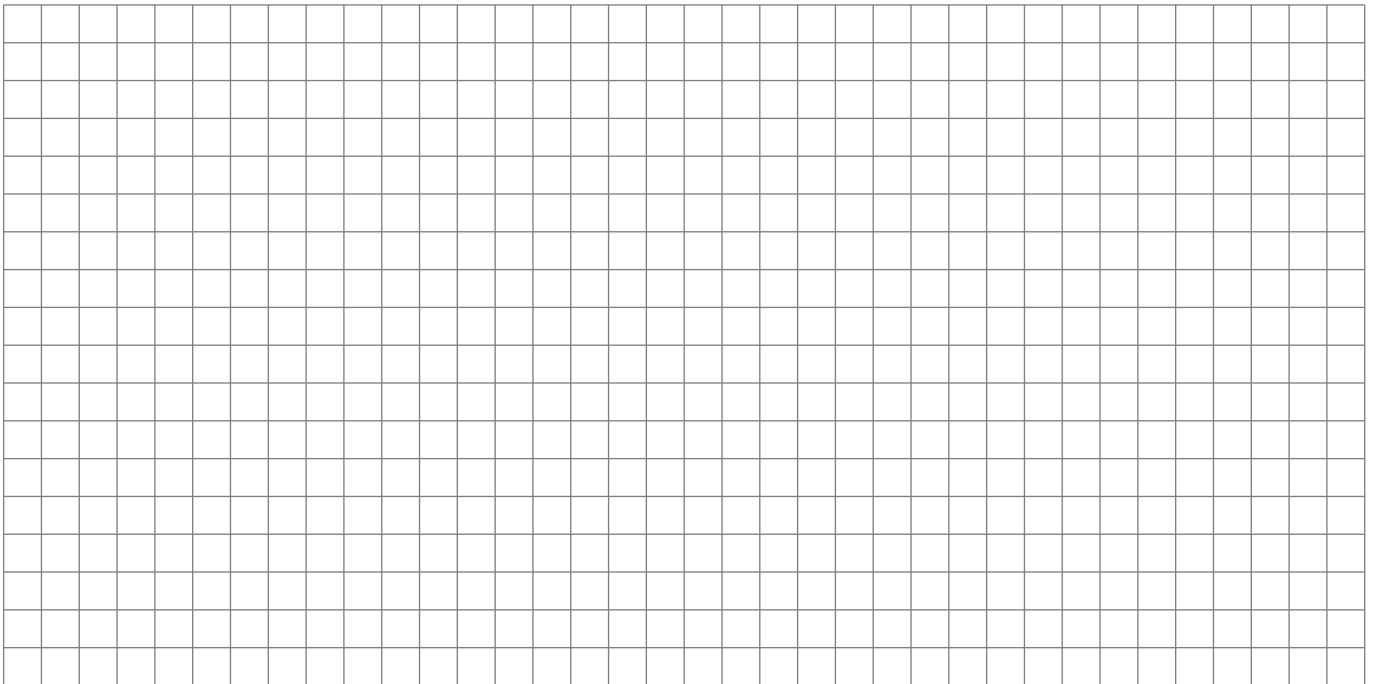


(xx) *LC(HL) Verify, using the above property, that the centroid of a triangle formula is as follows:

$$\left(\frac{x_1 + x_2 + x_3}{3}, \frac{y_1 + y_2 + y_3}{3} \right)$$



(xxi) *LC (HL) Show that point A (5, 5) divides $[PD]$ internally in the ratio 1:1.



Do you notice any other points dividing a line segment in the ratio 1:1?
If so, name them.

